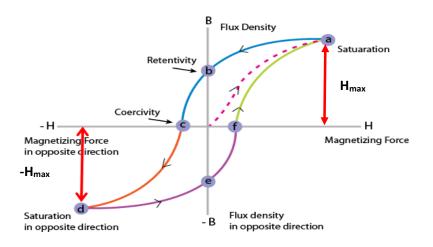
# <u>UNIT – 3</u>

# **MAGNETIC PROPERTIES OF MATERIALS**

#### **3.1 Hysteresis**

When a magnetic material is taken through a cycle of magnetization, the variation of magnetic induction (B) with respect to magnetic field intensity (H) can be represented by a closed curve. In other words, the lagging of magnetization behind the magnetizing field is known as hysteresis curve.





- In the curve OA magnetization is due to the small movement of domain wall.
- When the magnetic field is removed it returns to original position. It is reversible domain.
- In the curve AB the magnetization is due to the large movement of domain wall.
- When the magnetic field is removed it does not return to original position. It is irreversible domain.
- In the curve BC the magnetization is due to the rotation of domain.
- When the magnetic field is removed it does not retrace the path but it moves along CD.

- At D it has residual magnetization even when the magnetic field is zero called retentivity.
- A large amount of reverse field is applied to reduce the magnetization to zero, this reverse field is called coercive field.

### **Energy Product**

A product of retentivity and coercivity is called energy product, which gives the maximum amount of energy stored in the specimen.

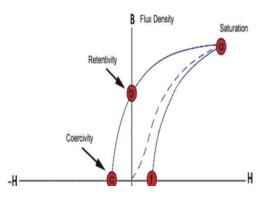


Fig:3.1.2

#### **Hysteresis loss**

When the specimen is taken through a complete cycle of magnetization, there is a loss of energy in the form of heat. This loss of energy is known as hysteresis loss.

#### **Basic definitions**

# **Magnetic field**

Space around the magnet is called magnetic field.

## **Magnetic dipole**

Magnetic dipole is a system consisting of two equal and opposite magnetic pole separated by a small distance (l).

#### Magnetic dipole moment

The diploe moment of a magnet is defined as the product of its pole strength (m) and the distance between two poles (l). Unit -Weber/m.

Magnetic moment =  $m \ge l$ 

## Magnetic flux $(\Phi)$

The number of magnetic lines of force passing through a surface is known as magnetic flux. It is represented by the symbol  $\Phi$ . Unit *-Webber* 

## Magnetic flux density (or) magnetic Induction (B)

Magnetic flux density is defined as the number of magnetic lines of force passing through a unit area of cross-section.

$$B = \Phi/A$$
 (Weber/m<sup>2</sup>)

## Intensity of magnetization (I)

It is the measure of magnetization of a magnetized specimen. It can also be defined as the magnetic moment per unit volume.

$$\mathbf{I} = \mathbf{M}/\mathbf{V} \quad (A/m)$$

#### Magnetic field intensity (H)

It is defined as the force experienced by a unit north pole placed in a magnetic field.

H = F/m (A/m)

# Magnetic permeability (µ)

It is defined as the ratio of the magnetic flux density to the applied magnetic field intensity

$$\mu = B/H$$
 (*Henry/m*)

# Relative permeability $(\mu_r)$

It is the ratio between the absolute permeability of a medium to the permeability of a free space.

 $\mu_r = \mu / \mu_o$  (*No unit*)

# Magnetic susceptibility $(\chi)$

It is the ratio of intensity of magnetization induced in it to the magnetizing field

 $\chi = I/H$ 

#### Relation between $\chi$ and $\mu$

We know that the magnetic induction is,

 $B = \mu H$ 

This equation can be written in another way as

$$B = \mu_{o} (I+H)$$
  
=  $\mu_{o}H ((I/H) + 1)$   
$$B = \mu_{o}H (\chi + 1)$$
  
$$B/H = \mu_{o} (\chi + 1)$$
  
$$\mu = \mu_{o} (\chi + 1)$$
  
$$\mu_{o} \mu_{r} = \mu_{o} (\chi + 1)$$
  
$$\mu_{r=} 1 + \chi$$

#### **Origin of magnetic moment**

The magnetic moment of a material originates from the orbital and spin motion of electrons in an atom. The permanent magnetic moment arises due to the

- ✤ Orbital angular momentum of the electron
- Spin angular momentum of the electron
- Nuclear magnetic moment

## Orbital angular momentum of the electron

The orbital motion of electron revolving about a nucleus is equivalent to a tiny current loop. This produces a magnetic moment perpendicular to the plane of the orbit.

Let us consider an electron moving with constant speed "v" in a circular radius "r". Let "T" be time taken for one revolution and "e" be the charge of the electron.

Magnetic moment associated with the orbit is,

$$\mu_L = current \times Area of the orbital (loop) \dots \dots (1)$$

The current I across at any point in the orbit is,

 $I \; \frac{Charge \; of \; the \; electron}{Time}$ 

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$$I = \frac{-e}{T} \qquad \dots \dots \dots \dots \dots (2)$$

Area of the orbital (loop) is =  $\pi r^2$  .....(3)

Substitute equation (2) and (3) in equation (1), we get

$$\mu_L = -\frac{e\pi r^2}{T} \qquad \dots \dots \dots \dots \dots (4)$$

Since, T is time taken by electron for one complete revolution. The distance (Circumference of the orbit) travelled by an electron in a given time (T) is called velocity.

Velocity 
$$(v) = \frac{2\pi r}{T}$$
 or  $T = \frac{2\pi r}{v}$ 

Substitute T in equation (4), we get,

Dividing and multiplying the RHS of equation (5) by m (mass of the electron), we get

Where, L = mvr is the orbital angular momentum of the electron. The equation (6) is the final expression for the magnetic moment associated with the orbital motion of the electron.

## **Bohr Magnetron**

The magnetic moment associated with the orbital magnetic moment of the electron is

$$\mu_L = -\frac{eL}{2m} \qquad \dots \dots \dots \dots \dots \dots (1)$$

According to the quantum theory, orbital angular momentum is,

Where, n is the orbital angular momentum quantum number and substitute equation (2) in equation (1) we the Bohr magnetron,

$$\mu_B = -\frac{enh}{2\pi m} \qquad \dots \dots \dots \dots \dots \dots (3)$$

This is the final expression for Bohr magnetron and the value is calculated by the substitution of all the constants in equation (3). The calculated Bohr magnetron value is  $\mu_B = 9.724 \times 10^{-24}$ .

### Spin angular momentum of the electron

Similar to orbital motion, magnetic moment due to spin motion of the electron is given by,

$$\mu_e = -\frac{eS}{m}$$

Where, *S* is the spin angular momentum and it is given by,

$$S = -\frac{sh}{2\pi}$$

Where, *s* is the spin quantum number and it takes +1/2 or -1/2.