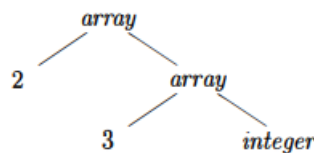


TYPES AND DECLARATIONS

- Type checking uses logical rules to reason about the behavior of a program at run time. Specifically, it ensures that the types of the operands match the type expected by an operator.
- Translation Applications. From the type of a name, a compiler can determine the storage that will be needed for that name at run time.

Type Expressions:

- Types have structure, represented using type expressions: a type expression is either a basic type or is formed by applying an operator called a type constructor to a type expression. The sets of basic types and constructors depend on the language to be checked.
- The array type `int[2][3]` can be read as "array of 2 arrays of 3 integers each" and written as a type expression `array(2, array(3, integer))`. This type is represented by the tree. The operator `array` takes two parameters, a number and a type.



- A basic type is a type expression. Typical basic types for a language include boolean, char, integer, float, and void (denotes "the absence of a value.")
- A type name is a type expression.
- A type expression can be formed by applying the array type constructor to a number and a type expression.
- A record is a data structure with named fields. A type expression can be formed by applying the record type constructor to the field names and their types. Record types will be implemented by applying the constructor `record` to a symbol table containing entries for the fields.
- A type expression can be formed by using the type constructor \rightarrow for function types. We write $s \rightarrow t$ for "function from type s to type t " Function types will be useful when type checking.
- If s and t are type expressions, then their Cartesian product $s \times t$ is a type expression. Products are introduced for completeness; they can be used to represent a list or tuple of types (e.g., for function parameters). We assume that \times associates to the left and that it has higher precedence than \rightarrow .
- Type expressions may contain variables whose values are type expressions.

Type Equivalence:

- When are two type expressions equivalent? Many type-checking rules have the form, "if two type expressions are equal then return a certain type else error."
- Potential ambiguities arise when names are given to type expressions and the names are then used in subsequent type expressions.
- The key issue is whether a name in a type expression stands for itself or whether it is an abbreviation for another type expression.

DECLARATIONS:

A simplified grammar that declares just one name at a time

$$\begin{aligned}
 D &\rightarrow T \text{ id } ; D \mid \epsilon \\
 T &\rightarrow B C \mid \text{record } \{ D \} \\
 B &\rightarrow \text{int} \mid \text{float} \\
 C &\rightarrow \epsilon \mid [\text{num}] C
 \end{aligned}$$

- The above grammar deals with basic and array types. Nonterminal D generates a sequence of declarations. Nonterminal T generates basic, array, or record types.
- Nonterminal B generates one of the basic types int and float. Nonterminal C, for "component," generates strings of zero or more integers, each integer surrounded by brackets.
- An array type consists of a basic type specified by B, followed by array components specified by nonterminal C.
- A record type (the second production for T) is a sequence of declarations for the fields of the record, all surrounded by curly braces.

Sequences of Declarations:

- Languages such as C and Java allow all the declarations in a single procedure to be processed as a group. A variable offset, is used to keep track of the next available relative address.

$$\begin{aligned}
 P &\rightarrow \{ \text{offset} = 0; \} \\
 &\quad D \\
 D &\rightarrow T \text{ id } ; \{ \text{top.put}(\text{id.lexeme}, T.\text{type}, \text{offset}); \\
 &\quad \quad \text{offset} = \text{offset} + T.\text{width}; \} \\
 &\quad D_1 \\
 D &\rightarrow \epsilon
 \end{aligned}$$

- The translation scheme deals with a sequence of declarations of the form T id, where T generates a type. Before the first declaration is considered, offset is set to 0.
- As each new name x is seen, x is entered into the symbol table with its relative address set to the current value of offset, which is then incremented by the width of the type of x.
- The semantic action within the production $D \rightarrow T \text{ id}; D_1$ creates a symbol table entry by executing $\text{top.put}(\text{id.lexeme}, T.\text{type}, \text{offset})$. Here top denotes the current symbol table.
- The method top.put creates a symbol table entry for id.lexeme, with type T.type and relative address offset in its data area.

TRANSLATION OF EXPRESSIONS

- An expression with more than one operator, like a+b*c, will translate into instructions with at most one operator per instruction.
- An array references A[i][j] will expand into a sequence of three-address instructions that calculate an address for the reference.

Operations with Expressions:

- The syntax-directed definition builds up the three-address code for an assignment statement S using attribute code for S and attributes addr and code for an expression E.

- Attributes $S.code$ and $E.code$ denote the three-address code for S and E , respectively. Attribute $E.addr$ denotes the address that will hold the value of E .

PRODUCTION	SEMANTIC RULES
$S \rightarrow id = E ;$	$S.code = E.code \parallel$ $gen(top.get(id.lexeme) '=' E.addr)$
$E \rightarrow E_1 + E_2$	$E.addr = new Temp()$ $E.code = E_1.code \parallel E_2.code \parallel$ $gen(E.addr '=' E_1.addr '+' E_2.addr)$
$ - E_1$	$E.addr = new Temp()$ $E.code = E_1.code \parallel$ $gen(E.addr '=' 'minus' E_1.addr)$
$ (E_1)$	$E.addr = E_1.addr$ $E.code = E_1.code$
$ id$	$E.addr = top.get(id.lexeme)$ $E.code = ''$

- The last production $E \rightarrow id$ has the semantic rule which defines $E.addr$ to point to the symbol-table entry for this instance of id . Let top denote the current symbol table.
- Function $top.get$ retrieves the entry when it is applied to the string representation $id.lexeme$ of this instance of id . $E.code$ is set to the empty string.
- The semantic rules for $E \rightarrow E_1 + E_2$, generate code to compute the value of E from the values of E_1 and E_2 . Values are computed into newly generated temporary names.
- If E_1 is computed into $E_1.addr$ and E_2 into $E_2.addr$, then $E_1 + E_2$ translates into $t = E_1.addr + E_2.addr$, where t is a new temporary name. $E.addr$ is set to t . A sequence of distinct temporary names t_1, t_2, \dots is created by successively executing $new Temp()$.
- $E.code$ is built by concatenating $E_1.code$, $E_2.code$ and an instruction that adds the values of E_1 and E_2 .