

VOLTAGE CONTROLLED OSCILLATOR

The timing capacitor C_T is linearly charged or discharged by a constant current source/sink. The amount of current can be controlled by changing the voltage V_c applied at the modulating input (pin 5) or by changing the timing resistor R_T external to the IC chip. The voltage at pin 6 is held at the same voltage as pin 5. Thus, if the modulating voltage at pin 5 is increased, the voltage at pin 6 also increases, resulting in less voltage across R_T and thereby decreasing the charging current.

A small capacitor of $0.001\mu\text{f}$ should be connected between pin 5 & 6 to eliminate possible oscillations. A VCO is commonly used in converting low frequency signals such as EEG, ECG in to an audio frequency range. These audio signals can be transmitted over telephone lines or a two way radio communication system for diagnostic purposes or can be recorded on a magnetic tape for further references.

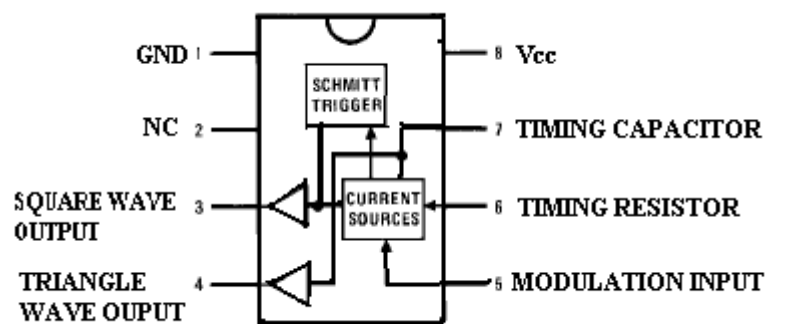


Fig: Pin configuration

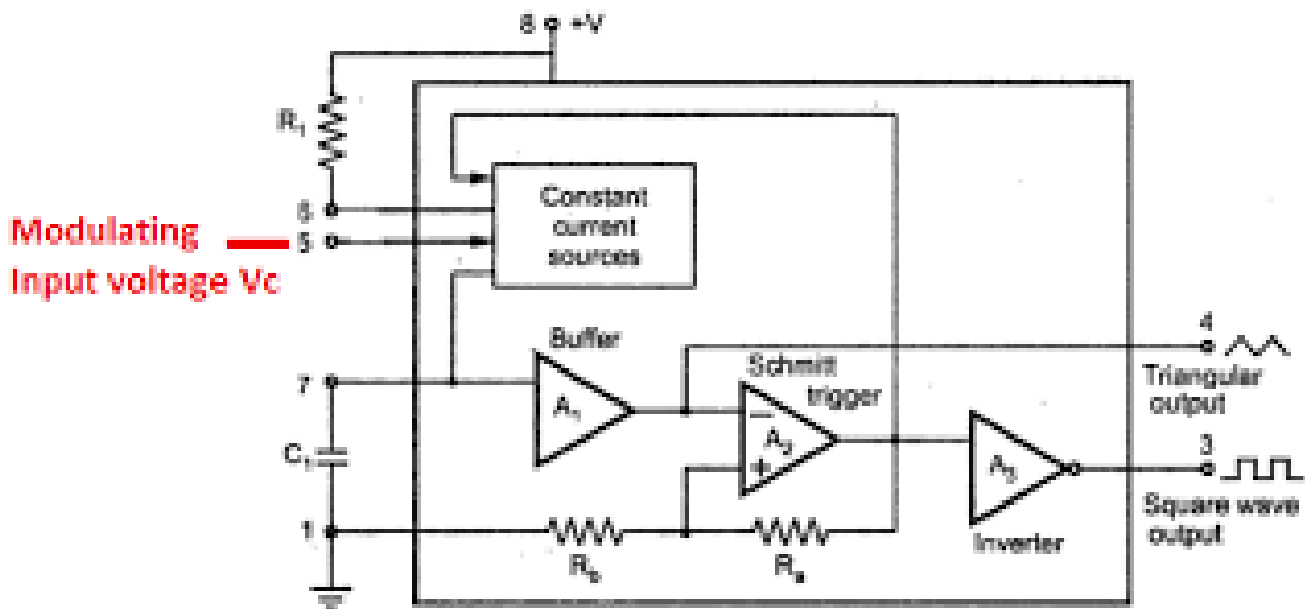


Fig: Voltage controlled oscillator Block diagram

The voltage across the capacitor C_T is applied to the inverting i/p terminal of Schmitt trigger A_2 via buffer amplifier A_1 . The o/p voltage swing of the Schmitt trigger is designed to V_{cc} &

$0.5 V_{cc}$. If $R_a=R_b$ in the +ive feedback loop, the voltage at the non-inverting i/p terminal of A_2 swings from $0.5V_{cc}$ to $0.25V_{cc}$. Fig c. when the voltage on the capacitor C_T exceeds $0.5V_{cc}$ during charging, the o/p of the Schmitt trigger goes low ($0.5V_{cc}$). The capacitor now discharges & when it is at $0.25V_{cc}$. The o/p of Schmitt trigger goes high (V_{cc}). Since the source & sink currents are equal, capacitor for the same amount of time. This gives a triangular voltage waveform across C_T which is also available at pin 4. The square wave o/p of the Schmitt trigger is inverted by inverter A_3 & is available at pin 3. The inverter A_3 is basically a current amplifier used to drive the load.

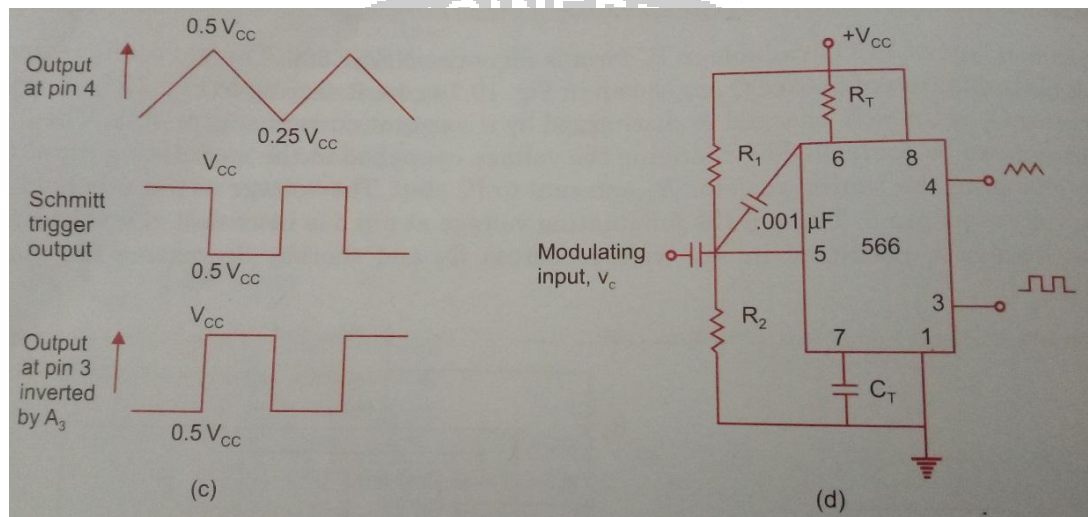


Fig:c)output waveform d)Typical connection diagram

The total voltage on the capacitor changes from $0.25V_{cc}$ to $0.5V_{cc}$. Thus $\Delta v=0.25V_{cc}$. The capacitor charges with a constant current source.

$$\frac{\Delta v}{\Delta t} = \frac{i}{C_T}$$

$$\frac{0.25V_{cc}}{\Delta t} = \frac{i}{C_T}$$

$$\Delta t = \frac{0.25V_{cc}C_T}{i}$$

The time period T of the triangular waveform $=2\Delta t$. The freq of oscillator f_o is

$$f_o = \frac{1}{T} = \frac{1}{2\Delta t} = \frac{i}{.5V_{cc}C_T}$$

$$\text{But } i = \frac{V_{cc} - V_c}{R_T}$$

Where $V_c \rightarrow$ Voltage at pin 5

$$f_o = \frac{2(V_{cc} - V_c)}{C_T R_T V_{cc}} \text{ --- (1)}$$

The o/p freq of VCO can be changed either by (i) R_T (ii) C_T or (iii) the voltage V_c at the modulating i/p terminal pin 5. The voltage v_c can be varied by connecting a $R_1 R_2$ circuit as shown in the figure below. The components R_1 and c_1 are first selected so that VCO output frequency lies in the centre of the operating frequency range. Now the modulating input voltage is usually varied from $0.75 V_{cc}$ to V_{cc} which can produce a frequency variation of about 10 to 1.

The signetics NE/SE 560 series is monolithic phase locked loops. The SE/NE 560, 561, 562, 564, 565 & 567 differ mainly in operating frequency range, power supply requirements & frequency & bandwidth adjustment ranges.

With no modulating i/p signal .if the voltage at pin 5 is biased at $\frac{7}{8} V_{cc}$ (1) gives the VCO o/p frequency

$$f_o = \frac{2(V_{cc} - \frac{7}{8} V_{cc})}{C_T R_T V_{cc}} = \frac{1}{4 R_T C_T} = \frac{0.25}{R_T C_T} \text{ --- (2)}$$

Voltage to Frequency Conversion factor:

Voltage to frequency conversion factor K_v & is defined as

$$K_v = \frac{\Delta f_o}{\Delta C}$$

$\Delta V_c \rightarrow$ modulation voltage required to produce the frequency shift Δf_o for a VCO

Original frequency is f_o & the new frequency is f_1 then

$$\Delta f_o = f_1 - f_o$$

$$= \frac{2(V_{cc} - V_c + \Delta V_c)}{C_T R_T V_{cc}} - \frac{2(V_{cc} - V_c)}{C_T R_T V_{cc}}$$

$$= \frac{2\Delta V_c}{C_T R_T V_{cc}}$$

$$\Delta V_c = \Delta f_o \frac{C_T R_T V_{cc}}{2} \text{ --- (3)}$$

From (2)

$$f_o = \frac{0.25}{R_T C_T}$$

$$R_T C_T = \frac{0.25}{f_o}$$

$$\Delta V_c = \mathcal{F} \frac{V_{cc}}{8f_o}$$

$$K_v = \frac{\Delta f_o}{\Delta V_c} = \frac{8f_o}{V_{cc}}$$

