

### 5.3 CULMANN'S GRAPHICAL METHOD FOR ACTIVE PRESSURE:

Culmann's (1866) also gave a graphical solution to evaluate the active pressure and can be conveniently used for ground surface of any shape, for various types of surcharging loads, and for a layered backfill of different densities.

#### PROCEDURE:

1. Draw the ground line  $\phi$  line and the  $\psi$  line as usual
2. Take a slip plane  $BC_1$ . calculate the weight of the wedge  $ABC_1$  and plot it as  $BE_1$  to some scale on the  $\phi$  line.
3. Through  $E_1$ , draw  $E_1F_1$  parallel to the line  $\psi$ , to cut the slip plane  $BC_2$  in  $F_1$ .
4. Similarly take another slip plane  $BC_2$ , calculate the weight of wedge  $ABC_2$  and plot it as  $BE_2$  on the line. Draw  $E_2F_2$  parallel to the line cut the slip plane  $BC_2$  in  $F_2$
5. Take number of such slip planes  $BC_3, BC_4$ . Plot the weight of the corresponding wedges on the  $\psi$  line and obtain point's  $F_3, F_4$ .
6. Draw a smooth curve through points  $B, F_1, F_2, F_3, F_4$  etc. This curve is known as the Culmann's line.
7. Draw a tangent to the Culmann's line parallel to the  $\phi$  line. The maximum value of the earth pressure is represented by the intercept  $EF$ , on the adopted scale.  $EF$  being drawn through the points of tangency parallel to the line  $\psi$  line.  $BFC$  represents the critical slip plane.
8. To locate the points of application of the resultant pressure, draw a line parallel to the critical slip plane  $BC$ , through the center of gravity of the sliding wedge  $ABC$  and obtain its intersection on the back  $AB$ .

When the ground line is a plane, the weights of the wedges  $ABC_1, AC_1 = L_3$ , etc. since the height of soil wedge is constant being equal to  $H_1$ . Hence the weights of these wedges are plotted as their base lengths  $L_1, L_2, L_3$ , etc. on the  $\phi$  line.

$$P_a = 1/2 \gamma H_1 (EF)$$

If the backfill also carries a surcharge of intensity  $q$ ,  $\gamma$

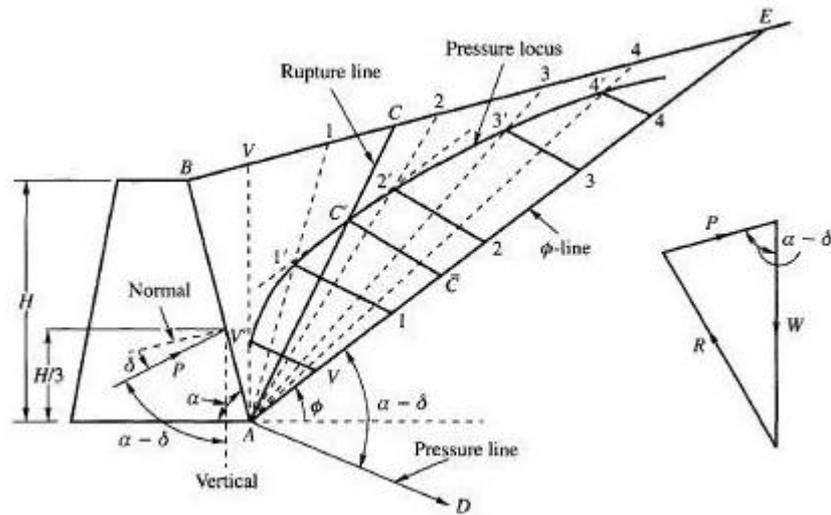


Fig 1 Active Earth Pressure by Graphical Method

[Fig1 <https://civilengineeringx.com/foundation/active-pressure-by-culmanns-method-for-cohesionless-soils/>]

### EFFECT OF LINE LOAD:

Culmann's graphical method can also be used to take into account the running parallel to the retaining wall. A line load of intensity  $q$  per unit length, acting at a point  $C_1$ , distant from the top of the wall.  $BEF_1$ ,  $F_n$  shows the Culmann's line and  $BC$  is the failure plane in absence of the line load. Let  $w_1$  be the weight of the wedge  $ABC_1$  which is plotted as  $BE_1$  on the line  $C$  and point  $F_1$  is obtained if there were no line load. However, when the line load is there the weight of the wedge  $ABC_1$  increases by  $q$ , thus  $BE_1$  represents and a point change in the Culmann's line the change being proportional to  $q$ . for all other failure wedges to the right, the weight  $q$  is added to the weight of the wedge and then plotted on the  $C$  line. The modified Culmann's line is thus represents by  $BFF_1FF_n$ . when the slip plane is  $BC$  the pressure on the wall is represented by  $EF$  and when the slip plane is  $BC_1$ , the pressure is represented by  $E, aF$ . if  $E_1F_1 < EF$  slip occurs along  $BC_1$  and the pressure on the wall is increased

The Culmann's line  $BFF_2$  is plotted by ignoring the line load. The modified Culmann's line  $BF_1F_1$  is then plotted by taking into account the line load, when the load  $q$  is added to the weight of each soil wedge considered. By drawing tangents to two Culmann's lines parallel to  $C$  line, intercepts  $FE$  and  $F_1E_1$  are obtained. The intercept  $E_1F_1$  gives the greatest value of pressure due to backfill acted upon by  $q$ , whereas  $FE$

gives the maximum pressure in the absence of the line load. If the tangent at F is prolonged to meet the modified Culmann's line in  $F_2^I$  the intercept  $E_2^I F_2^I$  equals to FE. This means that if the line is placed beyond  $C_2$ , there is no effect of the line load on the pressure for the other plotted. It will be seen that is maximum when the load is just at face of the wall, it remains constant with the position of q up to point c1 and then decreases gradually to zero at  $C_2$ .

For load positions beyond  $C_2$  the pressure on the wall is not due to q. This method is very much used in locating the position of the railway line or the footing of building on the backfill at such a safe distance that the earth pressure on the (existing) wall does not increase.

